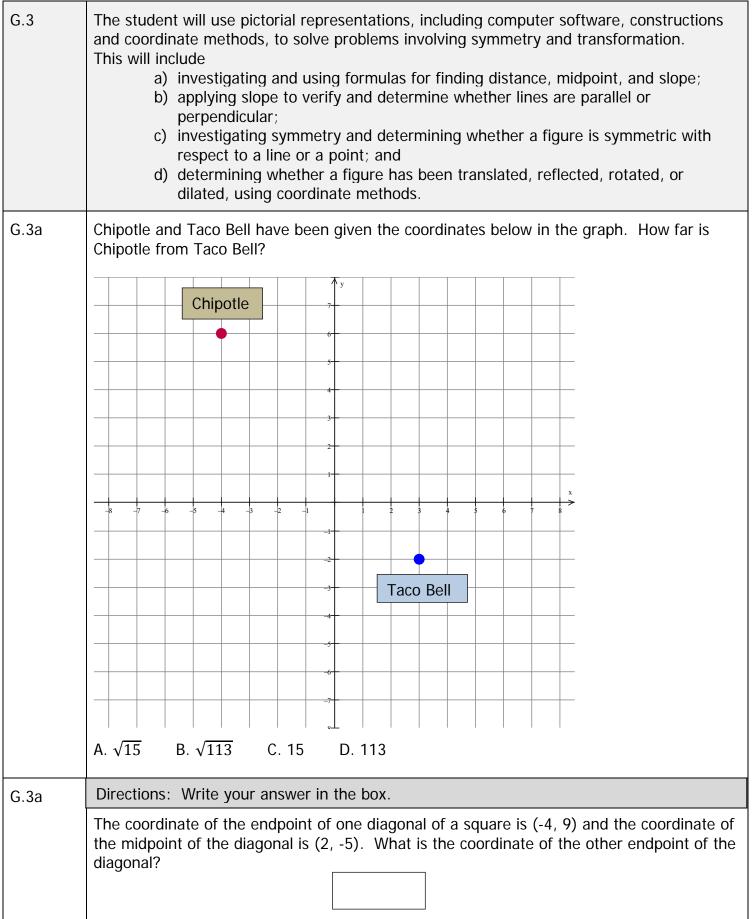
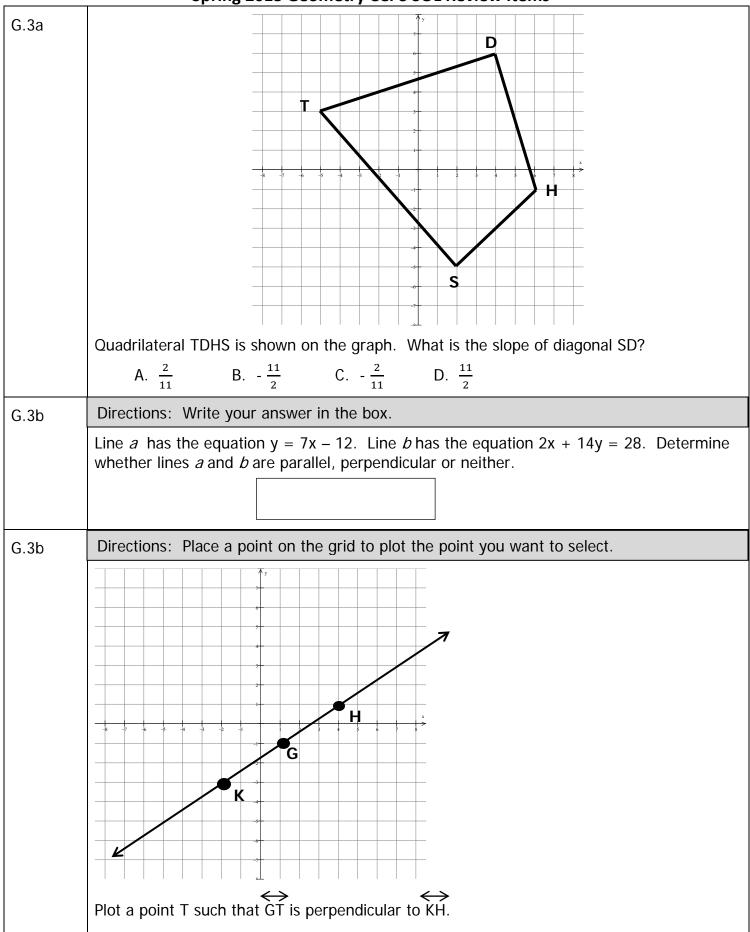
G.1	The student will construct and judge the validity of a logical argument consisting of a september of a september and a conclusion. This will include		
	 a) identifying the converse, inverse, and contrapositive of a conditional statement; b) translating a short verbal argument into symbolic form; c) using Venn diagrams to represent set relationships; and d) using deductive reasoning. 		
G.1a	Which of the following symbolic forms is the contrapositive of, $a \rightarrow \sim b$?		
	A. $\sim a \rightarrow b$ B. $\sim b \rightarrow a$ C. $\sim b \rightarrow \sim a$ D. $b \rightarrow \sim a$		
G.1a	If two angles are supplementary, then the sum of their measures is 180, is a conditional then if two angles are not supplementary, then the sum of their measures is not 180 is t		
	A. converse B. inverse C. contrapositive D. biconditional		
G.1a	State the converse of the following conditional:		
	If the calculator is not working, then the batteries must be dead.		
G.1b	Directions: Write the selected symbolic representation in the correct box.		
	p: ΔABC is a right triangle q: ΔRST is an obtuse triangle		
	Select one of the following to represent the symbolic representation for each argument.		
	$p \rightarrow q q \rightarrow p p \land q p \lor q p \leftrightarrow q \therefore p \lor q \therefore p \lor q$		
	ΔABC is a right triangle, if and only if ΔRST is an obtuse triangle.		
	Therefore $\triangle ABC$ is a right triangle or $\triangle RST$ is an obtuse triangle.		
	If ΔRST is an obtuse triangle, then ΔABC is a right triangle.		
	ΔABC is a right triangle and ΔRST is an obtuse triangle.		

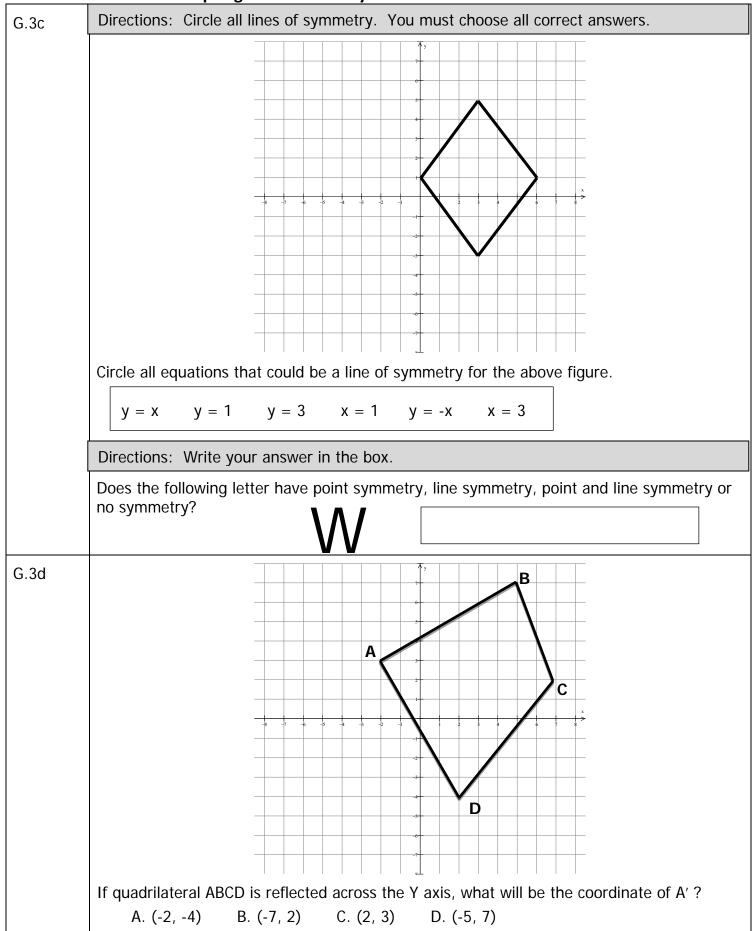
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G.1c	Directions: Shade the appropriate region on the Venn diagram.		
	A group of students were polled on the type of gaming systems they most like to play. The Venn diagram shows the results of this poll.		
	PlayStation Wii Xbox 360		
	Shade the region that represents students that like to play Xbox 360 and PlayStation, but not Wii.		
G.1d	Which of the following is a valid argument using laws of deductive reasoning?		
	A. If the road conditions are icy, then they are hazardous. The road conditions are hazardous. Therefore, the road is icy.		
	B. If two angles are vertical angles, then they are congruent. If two angles are congruent, then they have the same measure. If two angles are vertical angles, then they have the same measure.		
	C. If today is Friday, then tomorrow is Saturday. If tomorrow is Saturday, then I don't have to go to school. If tomorrow is Saturday, then I will go to the park.		
	D. All athletes must have a physical. Ralph had a physical. Ralph is an athlete.		
G.2	The student will use the relationships between angles formed by two lines cut by a transversal to a) determine whether two lines are parallel; b) verify the parallelism, using algebraic and coordinate methods as well as 		
	 deductive proofs; and c) solve real-world problems involving angles formed when parallel lines are cut by a transversal. 		
G.2a	What measure of $\angle ABC$ will prove that \overrightarrow{BC} is parallel to \overrightarrow{DE} ?		
	$ \xrightarrow{A} (13x + 7)^{\circ} \xrightarrow{C} $		
	$\longleftrightarrow D (6x + 21)^{\circ} $		
	A. 8° B. 33° C. 69° D. 111°		

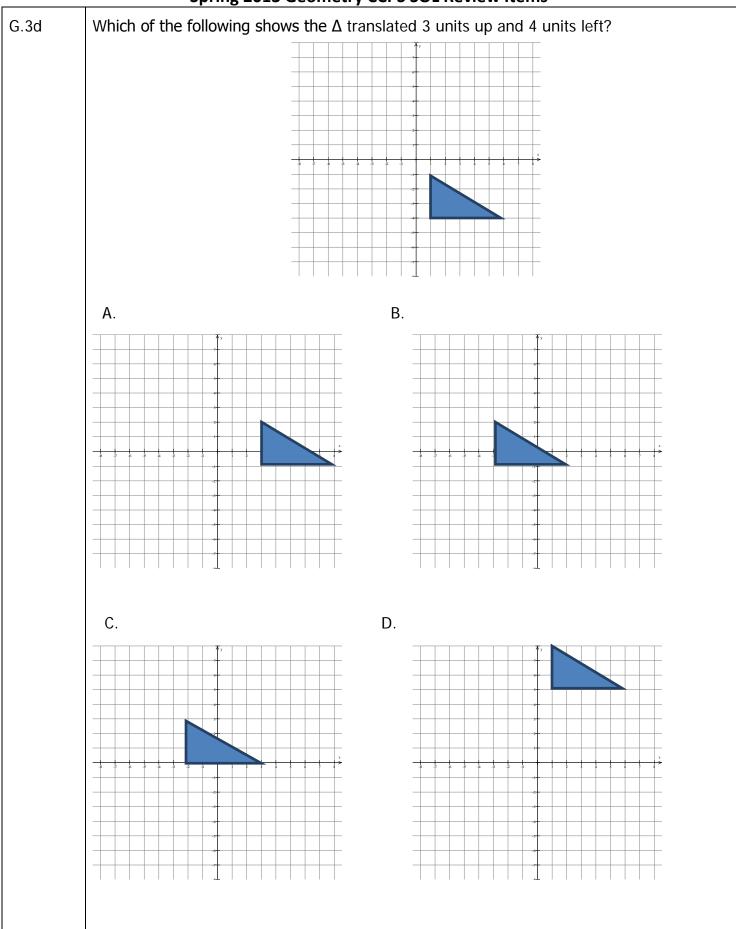
Directions: Write the reasons for the proof in the appropriate box. G.2b Given: Lines r and s with transversal t t $\angle 3 \cong \angle 1$ Prove: $r \parallel s$ Statements Reasons 1. Lines r and s with transversal t 1. Given $\angle 3 \cong \angle 1$ 2. $\angle 1 \cong \angle 2$ 2. 3. $\angle 3 \cong \angle 2$ 3. 4. *r* || *s* 4. Fill in the reasons for the proof using the following theorems, definitions, postulates or properties of algebra. If two lines are intersected by a transversal so that each pair of alternate interior angles is congruent, then the lines are parallel. Transitive Property Definition of congruent angles Vertical angles are congruent **Reflexive Property** If two lines are intersected by a transversal so that each pair of corresponding angles is congruent, then the lines are parallel. G.2c Directions: Write your answer in the box. В С 50° А The illustration above pictures a bridge. What must be m∠ABC to insure the top of the bridge is parallel to the bottom of the bridge?

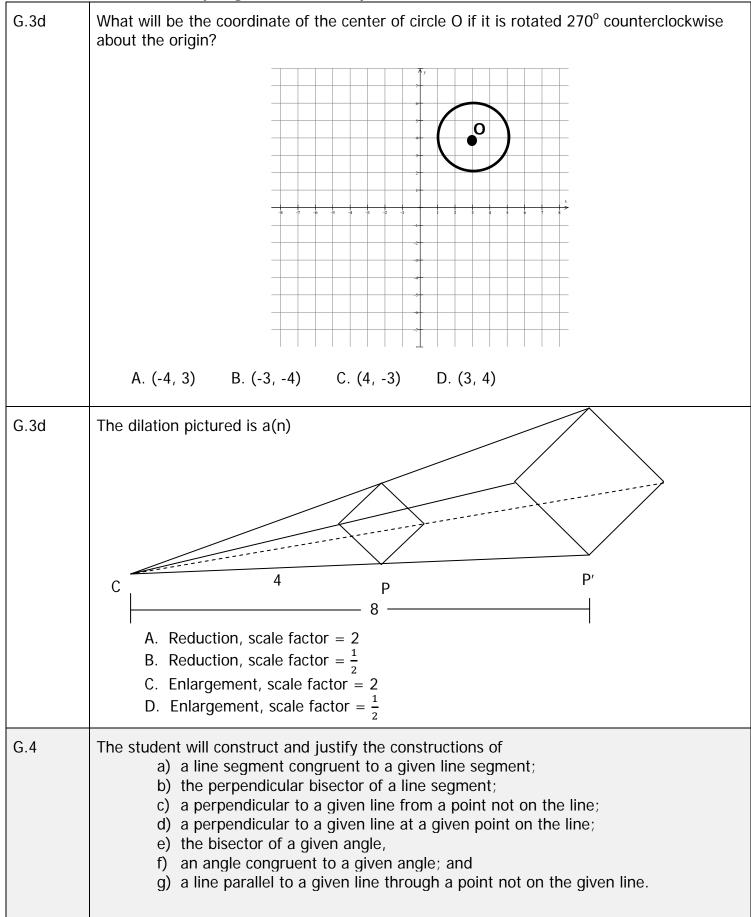


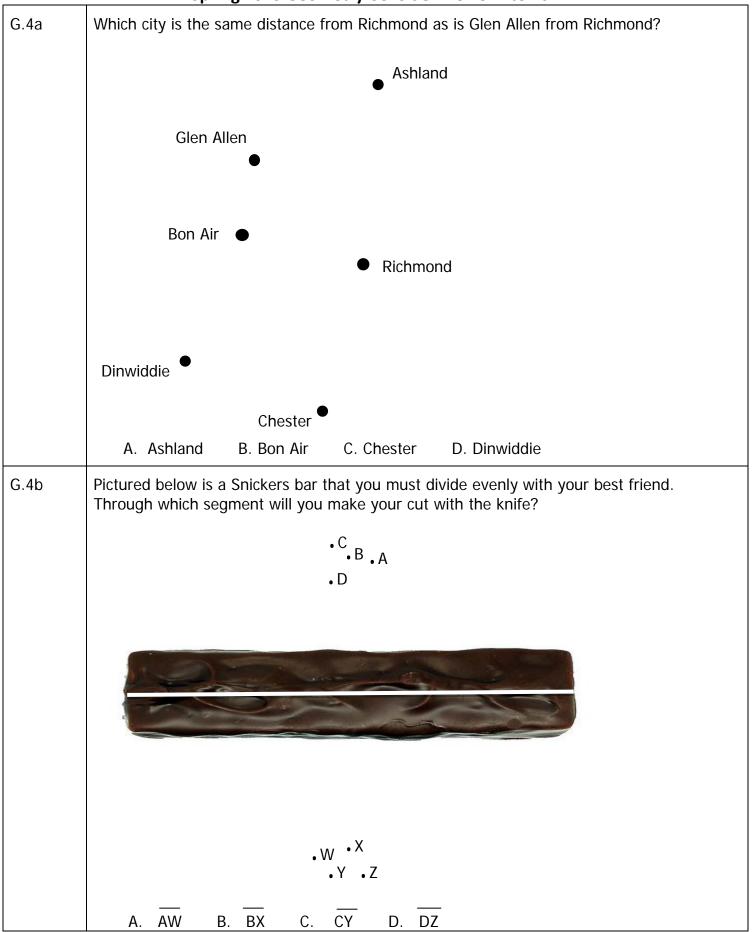


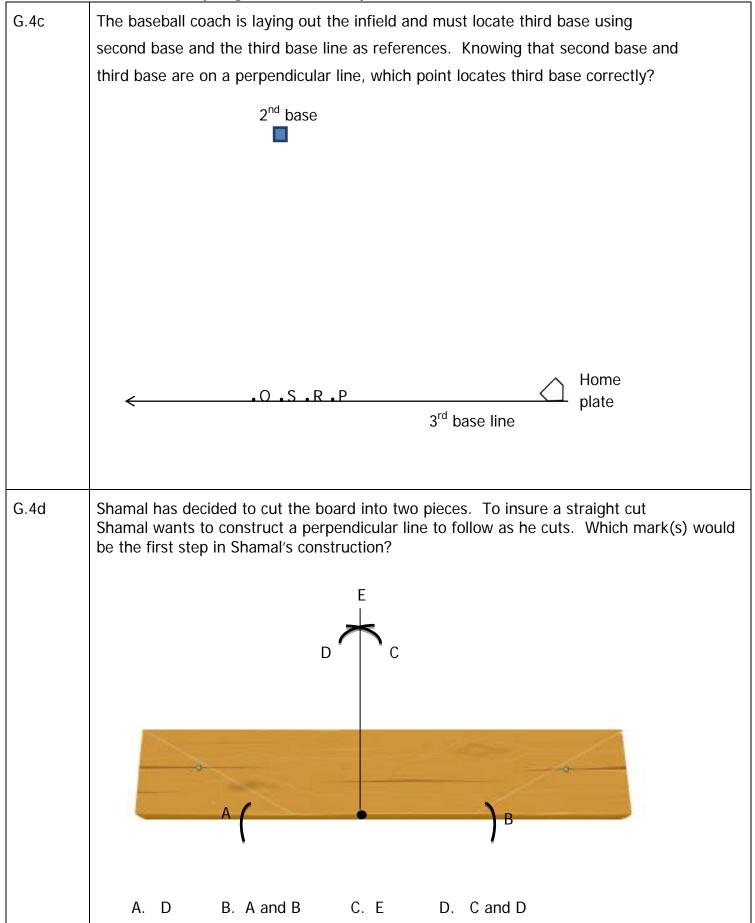
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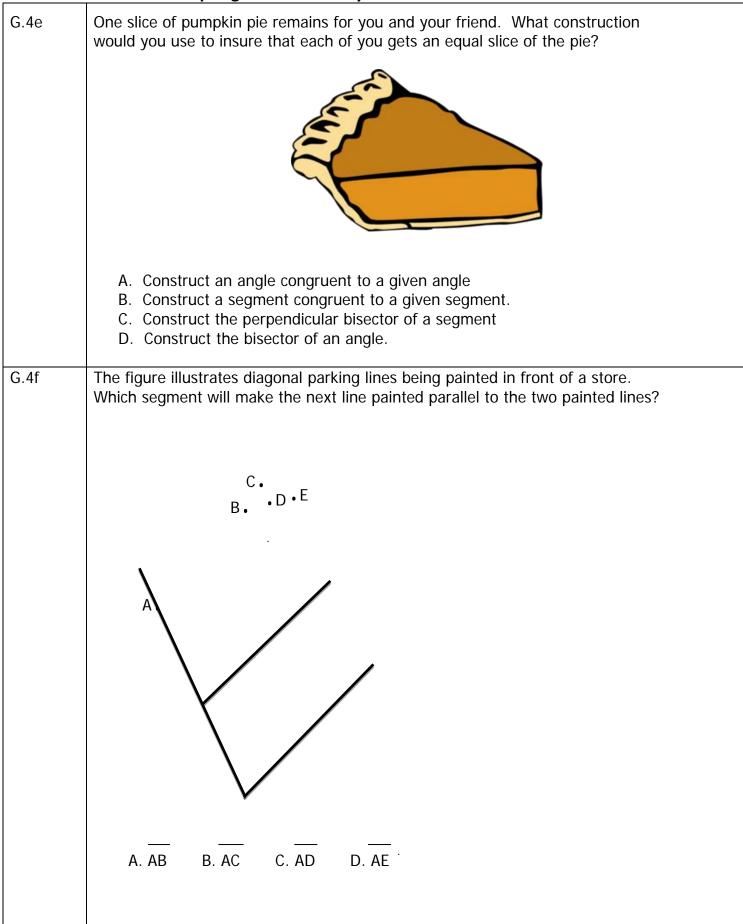


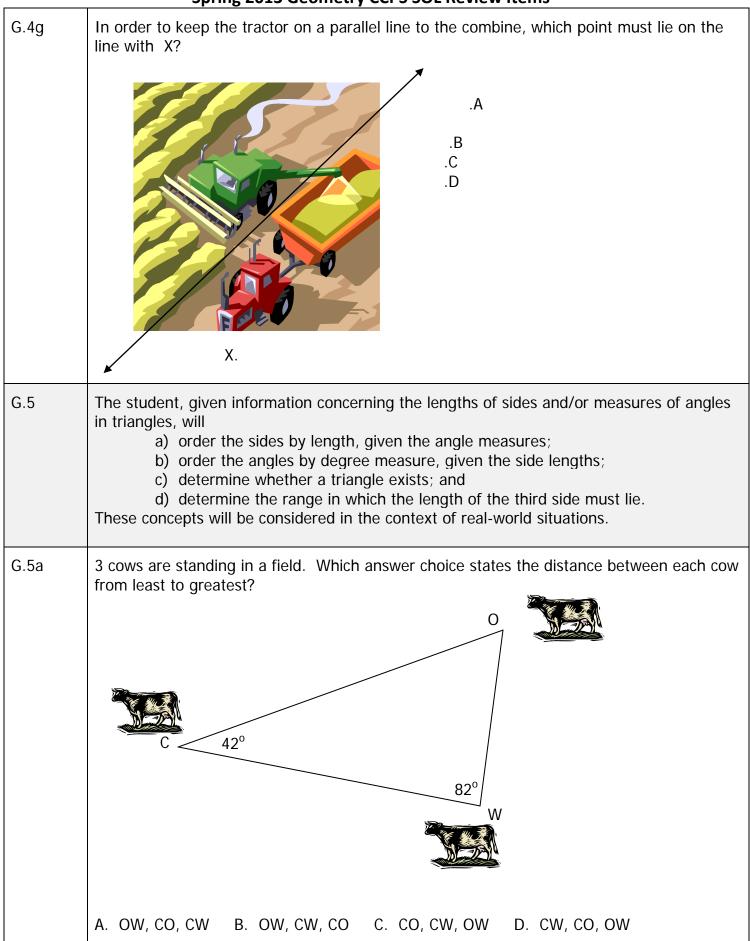


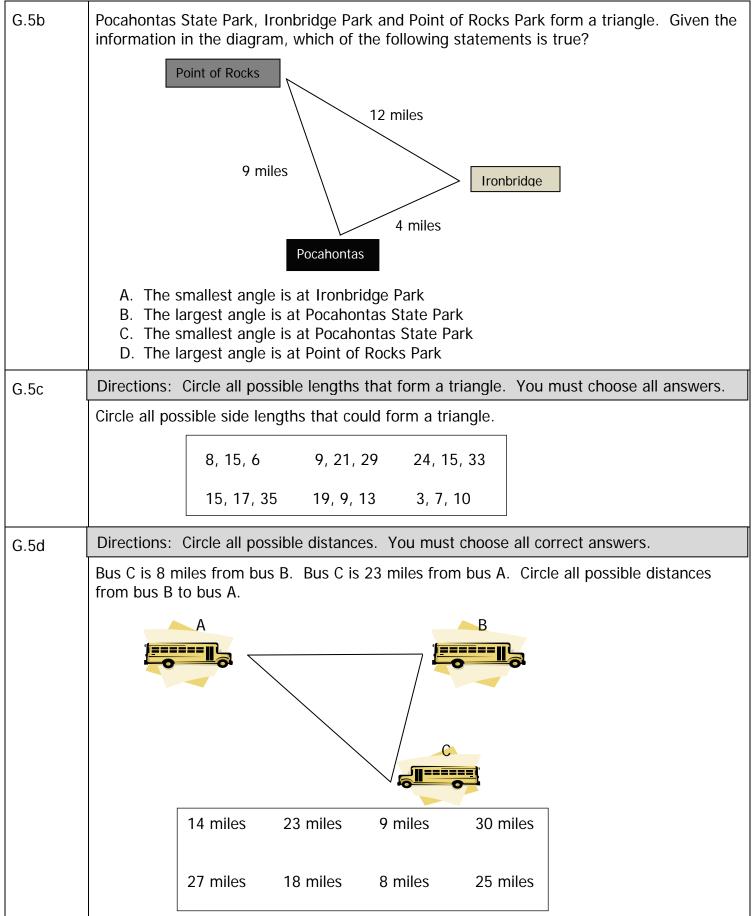


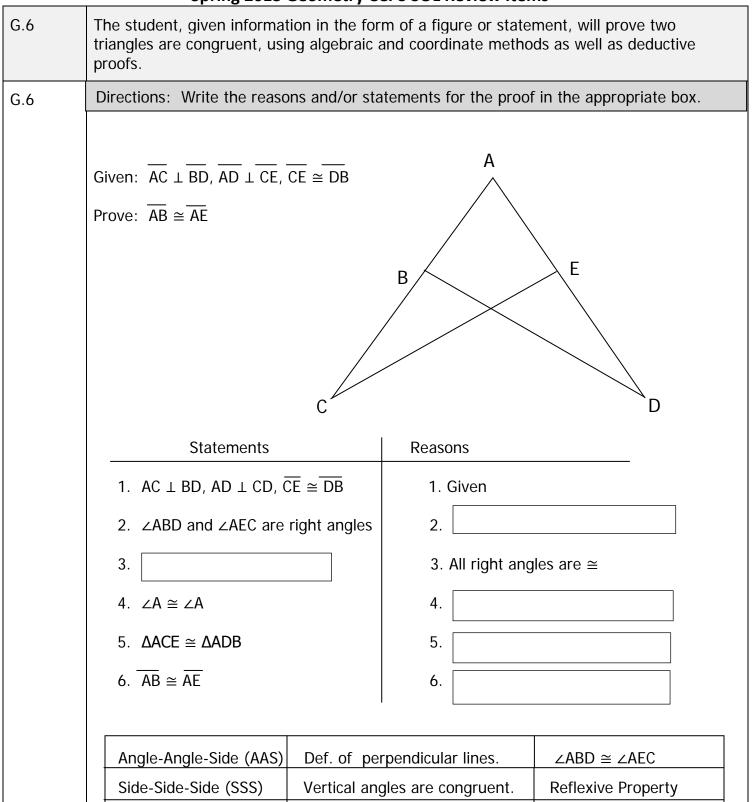


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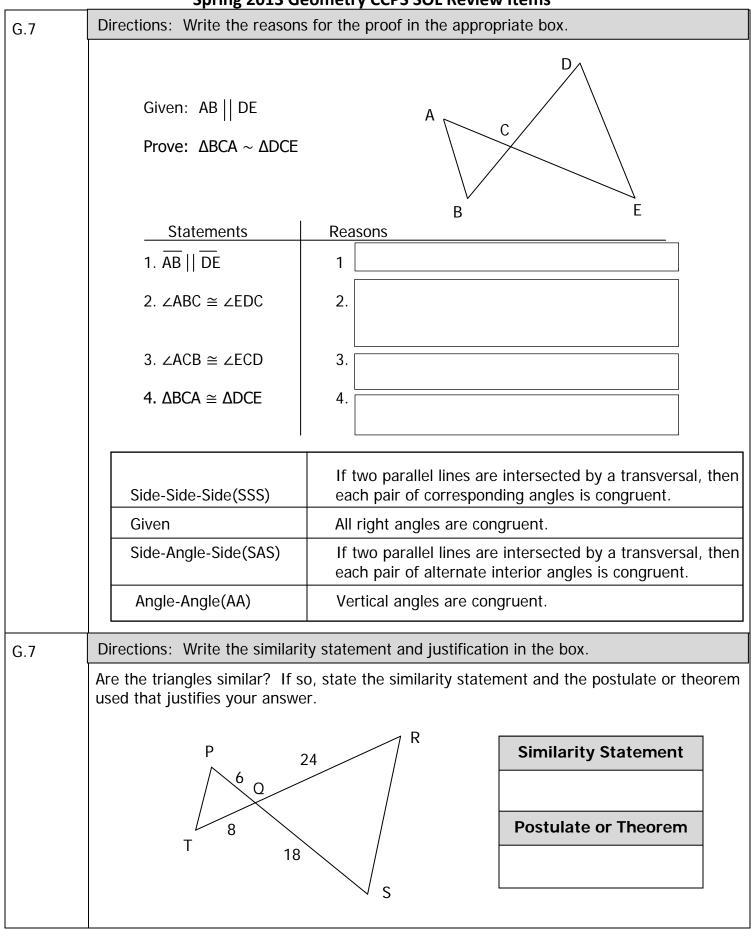


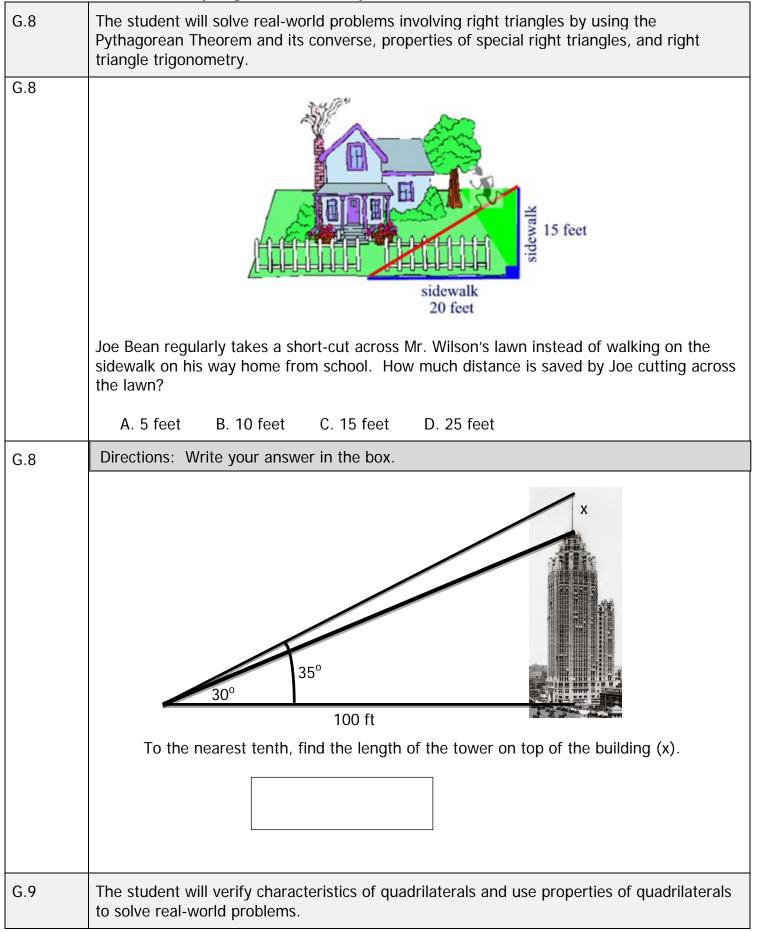


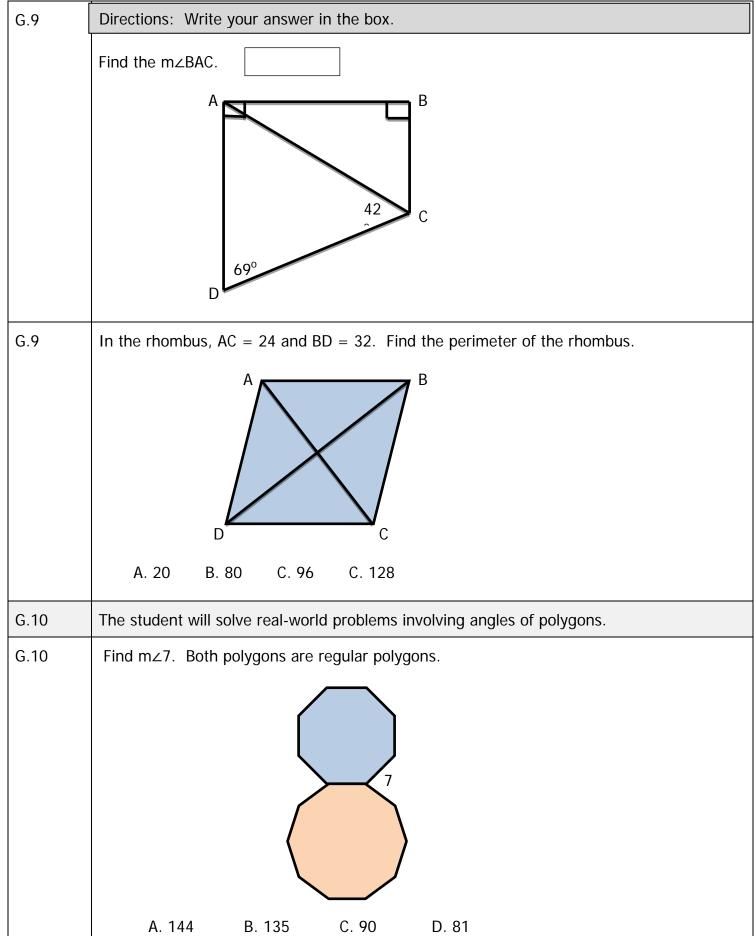


Side-Angle-Side (SAS)	Def. of \cong triangles.	Def. of a right triangle.	
Angle-Side-Angle (ASA) Corresponding parts of congruent trian		t triangles are congruent.	
Hypotenuse-Leg (HL)	or Definition of congruent triangles		

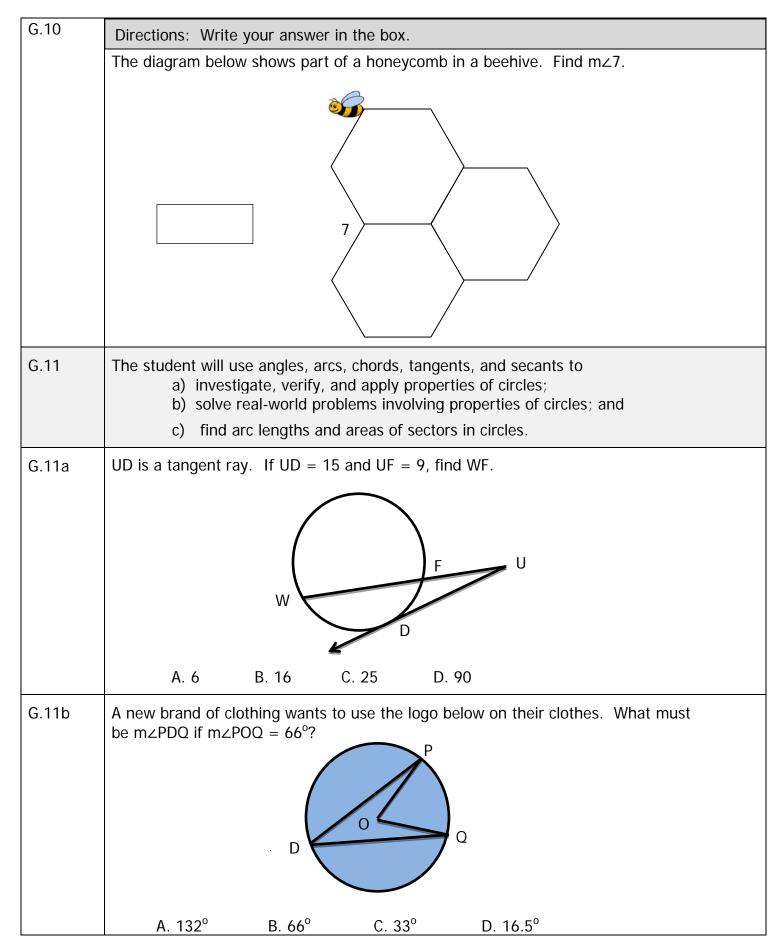
Directions: Write the reasons for the proof in the appropriate box. G.6 А Given: $\overline{BD} \perp \overline{AC}$, \overline{BD} bisects \overline{AC} Prove: \triangle ABD \cong \triangle CBD D В С Reasons Statements 1. BD \perp AC, BD bisects AC 1. Given 2. D is the midpoint of \overline{AC} . 2. 3. $\overline{AD} \cong \overline{CD}$ 3. 4. $\angle ADB \& \angle CDB$ are right angles. Definition of ⊥ lines 4. 5. $\angle ADB \cong \angle CDB$ 5. 6. $\overline{BD} \cong \overline{BD}$ 6. Reflexive Property 7. \triangle ABD $\cong \triangle$ CBD 7. Side-Angle-Side(SAS) Def. of an angle bisector. Def. of a congruent triangles. Def. of a segment bisector. Angle-Side-Angle(ASA) Hypotenuse-Leg (HL) Angle-Angle-Side(AAS) Def. of a midpoint. Def. of congruent angles. Side-Side-Side(SSS) All right angles are congruent. Vertical angles are congruent. G.7 The student, given information in the form of a figure or statement, will prove two triangles are similar, using algebraic and coordinate methods as well as deductive proofs.







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G.11c	The light from the lighthouse makes a 12° angle. If the light can be seen for 3 miles, what is the area covered by the light?		
	A. $\frac{3}{10} \pi \text{mi}^2$ B. $\frac{10}{3} \pi \text{mi}^2$ C. $9\pi \text{mi}^2$ D. $108\pi \text{mi}^2$		
G.12	The student, given the coordinates of the center of a circle and a point on the circle, will write the equation of the circle.		
G.12	Carolyn is going to make a crop circle in a cornfield to be viewed from a hot air balloon. She has mapped out a coordinate plane in the cornfield and designated (-6, 2) as the center of her circle and (3, -38) as one point on her circle. What will be the equation of Carolyn's crop circle? A. $(x - 3)^2 + (y + 38)^2 = 1681$ B. $(x + 6)^2 + (y - 2)^2 = 1681$ C. $(x - 6)^2 + (y + 2)^2 = 1681$ D. $(x + 6)^2 + (y - 2)^2 = 41$		
G.12	Directions: Circle all possible points on the circle. You must choose all answers. A circle has a center with coordinate (-2, -4) and the point (4, -4) lies on the circle. Circle all points that lie on the circle. (-2, 2) (-8, -4) (0, 0) $(1, -1) (-2, -10) (4, 0)$		

